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Problem Set #5: Selected Solutions

Munkres - Topology - Chapter 4 Solutions Section 30 Problem 30.1. Solution: Part (a) Suppose X is a nite-countable T_1 space. Let f be a one-point set in X , which must be closed. Let $B = \{f\}$ be a collection of neighborhoods of x such that every neighborhood of x contains at least one B . Clearly x is contained in every B . If f is open, then some B

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Munkres - Topology - Chapter 2 Solutions Section 13 Problem 13.1. Let X be a topological space; let A be a subset of X . Suppose that for each $x \in A$ there is an open set U containing x such that $U \cap A$ is open in X . Solution: Let C be the collection of open sets U where $U \cap A$ is open for some $x \in A$. Suppose $U = \bigcup_{\alpha} U_{\alpha}$. Since X is a topological space ...

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Munkres §32. Ex. 32.1. Let Y be a closed subspace of the normal space X . Then Y is Hausdorff [Thm 17.11]. Let A and B be disjoint closed subspaces of Y . Since A and B are closed also in X , they can be separated in X by disjoint open sets U and V . Then $Y \cap U$ and $Y \cap V$ are open sets in Y , separating A and B .

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Munkres Topology Solutions Chapter 1 - ME Munkres - Topology - Chapter 1 Solutions Section 3 Problem 3.2. Let C be a relation on a set A . If $A \neq \emptyset$, define the restriction of C to $A \setminus \{a\}$ to be the relation $C|(A \setminus \{a\})$. Show that the restriction of an equivalence relation is an equivalence relation. Solution: Let C be the restriction of C to $A \setminus \{a\}$.

Topology Munkres Solutions Chapter 1

Solution of Exercise Problems Yan Zeng Version 0.1.1, last revised on 2014-03-25. Abstract This is a solution manual of selected exercise problems from Analysis on manifolds, by James R. Munkres [1]. If you find any typos/errors, please email me at zypubli@hotmail.com. Contents 1 Review of Linear Algebra 3 2 Matrix Inversion and Determinants 3

Analysis on Manifolds Solution of Exercise Problems

372 Solutions of Some Exercises 1 2 $x^2 - 1 = 2x^2 \geq f(y) - x$ and if $g \in F(y)$ one has $1 - 2x^2 \geq f(y) - x$ and if $g \in F(y)$ one has $1 - 2x^2 \geq f(y) - x$ and if $g \in F(y)$ one has $1 - 2x^2 \geq f(y) - x$. Adding these inequalities leads to $f - g, x - y \geq 0$. On the other hand, note that $f - g, x - y = x^2 + y^2 - f, y - g, x \geq x^2 + y^2 - 2x^2 = 2x^2 + y^2 - 2x^2 = y^2$. By question 4 we already know that

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Since $kx^2 + y^2 \geq 0$ for all x, y , we have $kx^2 + y^2 \geq 0$ for all x, y . Since $kx^2 + y^2 \geq 0$ for all x, y , we have $kx^2 + y^2 \geq 0$ for all x, y . Since $kx^2 + y^2 \geq 0$ for all x, y , we have $kx^2 + y^2 \geq 0$ for all x, y . Since $kx^2 + y^2 \geq 0$ for all x, y , we have $kx^2 + y^2 \geq 0$ for all x, y .